





[Optimal Networks for Train Integration Management across Europe] Collaborative Project 7th Framework Programme

Contributions by Transrail Sweden AB

Dissemination seminar, Borlänge, 2014-10-16





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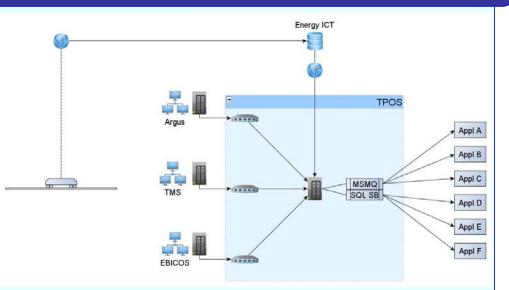
- Work in WP4
 - Monitoring of train traffic state (4.2)
 - Statistical prediction of train movements (4.2)
 - Optimal adjustment of scheduling times (4.5.3)
- Work in WP7
 - Integration with CATO & Transrail modules



transrail cato

- Data source: TPOS
 - Train events
 - GPS positions
- Evaluation
 - Delays, time stamps
- Data set collection
 - Three days in Nov 2012
 - Malmbanan
 - Daily train graphs + logs and films from STEG, CATO, TPOS
 - Shared with all partners
 - Used in subsequent work
- Report

Monitoring traffic state







Predicting train movements

Model

Training data

(2d)

Build

Test data

(1d)

- Short term
- Training phase
 - Historical data, filtering
 - Building model (DAG)
 - Categories
 - Signals / Travel times
- On-line prediction
 - Event triggered
- Evaluation
 - Kiruna Vassejaure
 - Error ~30 sec per 10 min (for stable characteristics)
- Report

| Operator | # predictions | Error [s/km] | Error [s/min] |
|-------------|---------------|--------------|---------------|
| All | 2030 | 4.24 | 5.05 |
| MTAB | 1046 | 3.85 | 3.80 |
| Green Cargo | 451 | 14.04 | 14.65 |
| CargoNet | 200 | 1.94 | 2.82 |
| SJ | 224 | 2.50 | 3.81 |
| Other | 109 | 12.08 | 13.56 |

Predict /Compare/Visualize/

FP7 - **ON-TIME** Collaborative Project

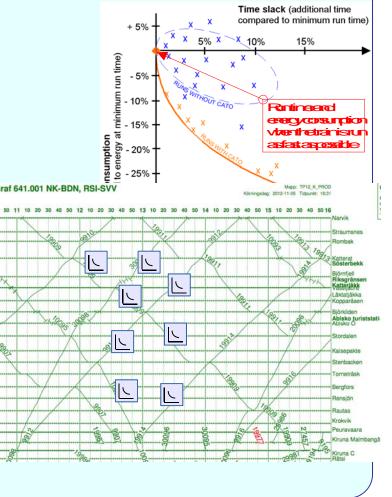


Adjusting scheduling times

- Use case
 - Dispatcher/other method decide _ ordering
 - Algorithm decide timing
 - Global: all trains
 - Efficient: Oper. Cost vs robustness
- Optimization model ٠
 - Variables: Scheduling times
 - Constraints: Schedule limits, separation, margins, ...
 - Objective: Oper. Cost (energy) & $\frac{1}{Min W^{T} + W^{C} - \sigma W^{R}}$

 $W^{R} = R^{C} \sum_{a} \omega_{a}^{k} m_{a}$

 $W^{T} = \sum_{e} \left(\omega_{e}^{T,min} t_{e}^{min} + \omega_{e}^{T,max} t_{e}^{max} \right)$ $W^{C} = \sum_{p} \sum_{x} \lambda_{xp} W_{xp}$







| |
|---------|
| lustion |
| uation |
| |

| | Trip durations | Operating cost | Margins (min) | Margin gain | | |
|-------------------|-------------------|----------------|------------------|-------------|--|--|
| Original | 1.00 | 1.00 | Х | 1.00 | | |
| Energy focus | 1.12 | 0.91 | X + 60 | 1.08 | | |
| Robustness focus | 1.11 | 0.93 | X + 66 | 1.15 | | |
| Normalised values | | | | | | |

- Malmbanan, 4h plan, mixed traffic
- Schematic cost function, 5-10 min adjustment
- Both energy and robustness improve vs published plan
- Small margin additions give large robustness gain
- Very quick solutions (< 1s)
- Report, including modelling details





Highlights

- Monitoring
 - Technical platform in place
- Prediction
 - Good short term accuracy
 - Does not require detailed data about track and trains
- Adjusting scheduling times
 - Let dispatcher focus on major decisions
 - Assure correctness (separation, runtime limits, ..)
 - Save energy & improve stability
- Continuation in other projects
 - Ongoing, but open for more!!